

28th International workshop  
“What comes beyond the standard models”

# Stable multicharged particles in the early Universe

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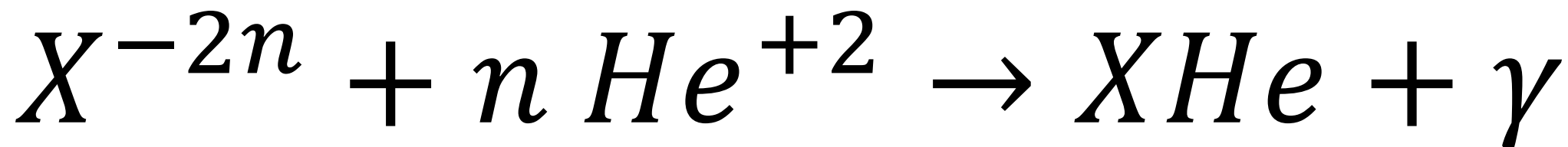
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# Dark atom model

- Stable lepton-like multicharged heavy particles  $X^{-2n}$  arise in several models [1,2].
- Only even values of charge are allowed [3].
- Such particles should form neutral bound states with ordinary matter nuclei.



[1] Hadronic and Hadron-Like Physics of Dark Matter / V. Beylin [et al.] //Symmetry. — 2019. — Vol. 11, no. 4. — P. 587. — ISSN 2073-8994.

[2] Khlopov M. What comes after the Standard Model? // Prog. Part. Nucl.Phys. — 2021. — Vol. 116. — P. 103824

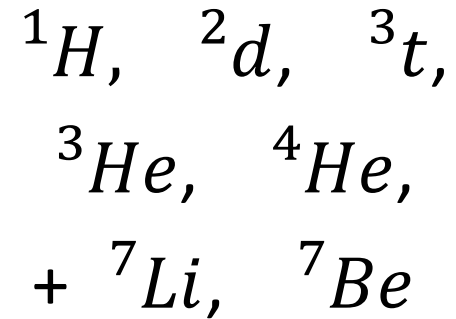
[3] Belotsky K. M., Khlopov M. Y., Shibaev K. I. Composite Dark Mat-ter and its Charged Constituents // Gravitation and Cosmology. Vol.12. — Moscow : (KPS 06), 2006. — P. 1–7. — e-PrintArchive: astro-ph/0604518.

# Outline

- Bound states and their description
  - Inner structure of dark ions
  - Estimations and applications
- Nuclear reactions with dark ions
  - Using analogies
  - Accurate calculation
- Primordial concentrations
  - Anomalous isotopes
  - Primordial metals
- Conclusions

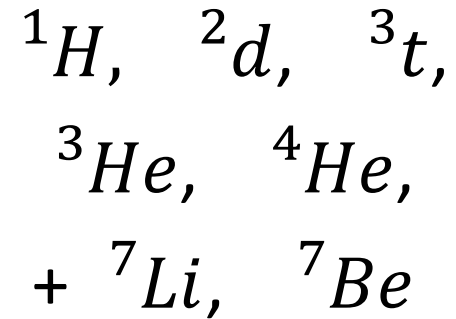
# Bound states and their description

- Isotopes produced in primordial nucleosynthesis [4]:



# Bound states and their description

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- What structure do dark  $XN$  ions have?

# Bound states and their description

Inner structure of dark ions

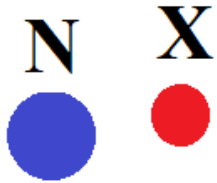
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# Bound states and their description

## Inner structure of dark ions

$$a = \frac{r_N}{r_B} \approx Z_X Z_N \alpha m_N r_0 A_N^{1/3}$$

$$0 < a < 1$$



- Point-like particles

➤ Analogy with ordinary hydrogen:

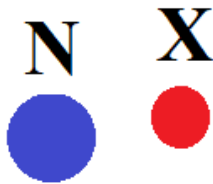
$$E_{X-N}^{\text{Bohr}} = 2n^2 Z^2 \alpha^2 m_N = \frac{1}{2m_N r_B^2}.$$

# Bound states and their description

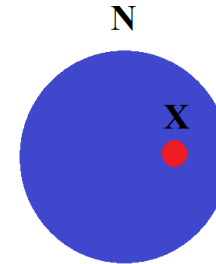
## Inner structure of dark ions

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$$0 < a < 1$$



$$1 < a < \infty$$



- Point-like particles

➤ Analogy with ordinary hydrogen:

$$E_{X-N}^{\text{Bohr}} = 2n^2 Z^2 \alpha^2 m_N = \frac{1}{2m_N r_B^2}.$$

- Non-point nucleus in a shell

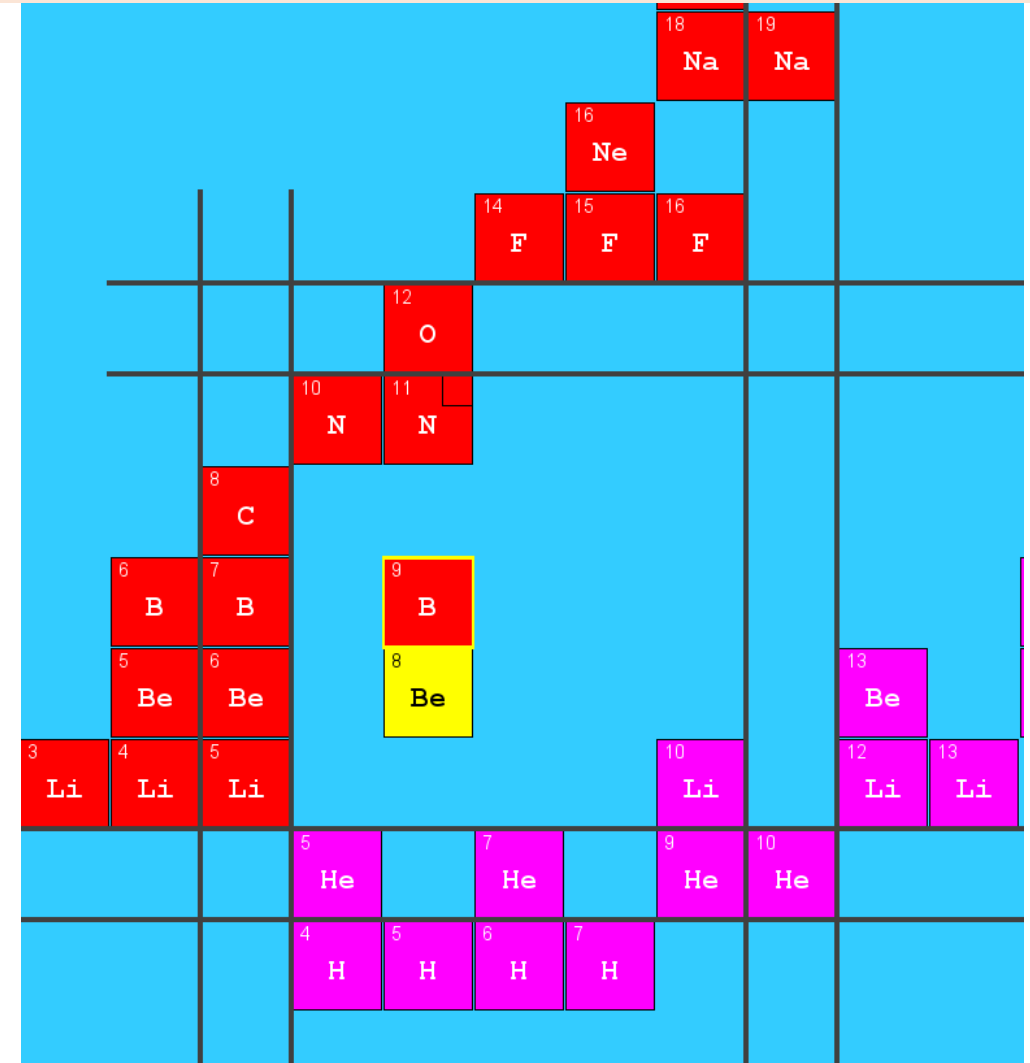
➤ Nuclear analogies should be used.

➤ Binding energies:  $E_{X-N}^{\text{Thomson}}$  and  $Q_N$

# Bound states and their description

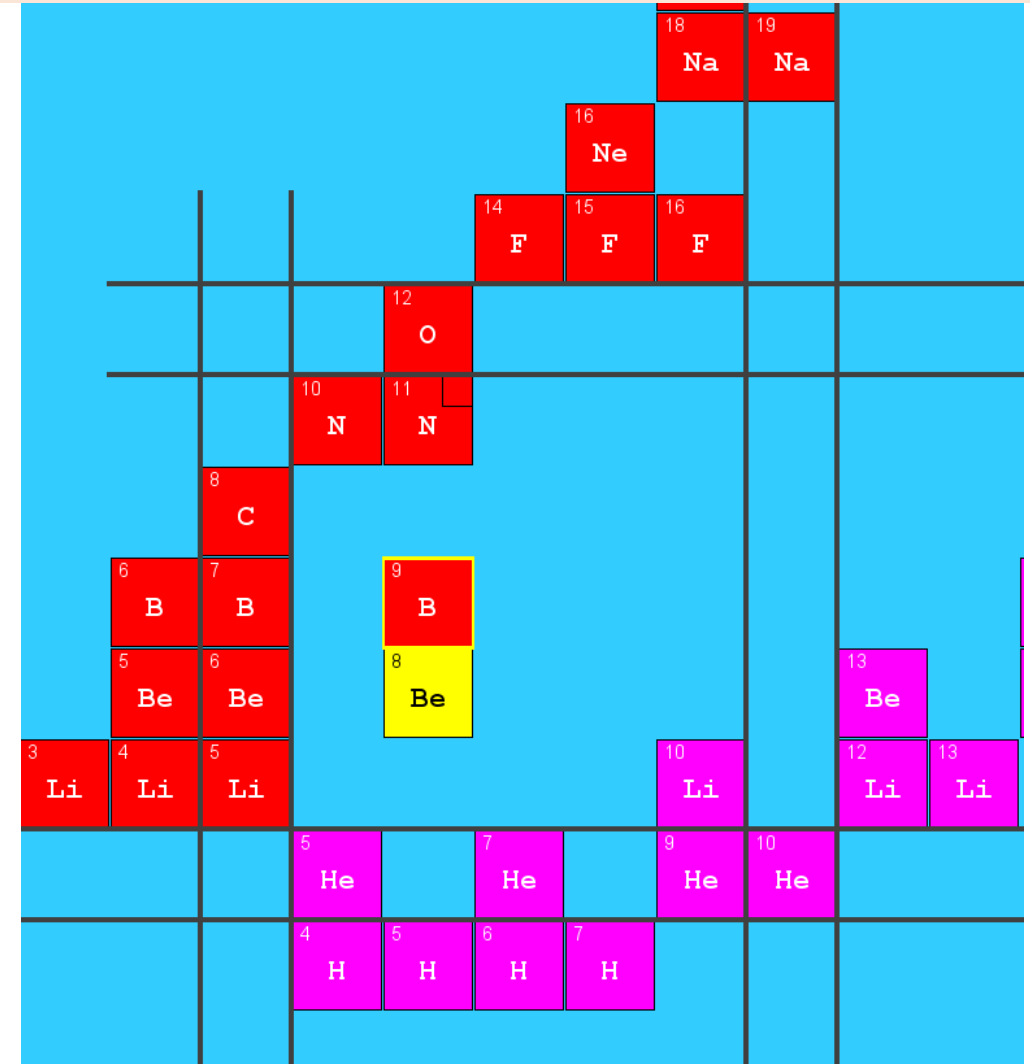
## Inner structure of dark ions

- Isotope stabilization



# Bound states and their description

- Isotope stabilization
- New stable-in-shall isotopes?  
( $Xp_4$  for instance)



# Bound states and their description

## Estimations and applications

- The most states are Thomson-like.
- There are a lot of  $E_{X-N}^{Thomson}$  estimations [5,6,7], but no  $Q_N$  estimations .

$$\mathcal{H} = \begin{cases} \frac{p^2}{2m_N} - \frac{Z_X Z_N \alpha}{2r_N} \left( 3 - \frac{r^2}{r_N^2} \right), & r < r_N \\ \frac{p^2}{2m_N} - \frac{Z_X Z_N \alpha}{r}, & r > r_N \end{cases}$$

$$E_{X-N}^{Glashow} = \begin{cases} \frac{3}{2} \frac{Z_X Z_N \alpha}{r_N} \left( 1 - \sqrt{\frac{1}{a}} \right), & a \gtrsim 2 \\ \frac{1}{m_N r_N} \lambda(a), & a \approx 1 \\ \frac{1}{2} (Z_X Z_N \alpha)^2 m_N, & a < 1 \end{cases}$$

| $n$ | $A$ |      |      |      |
|-----|-----|------|------|------|
|     | $H$ | $He$ | $Li$ | $Be$ |
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[5] Cahn R. N., Glashow S. L. Chemical Signatures for Superheavy Elementary Particles // Science. — 1981. — Vol. 213. — P. 607–611.

[6] Akhmedov E. Nuclear fusion catalyzed by doubly charged scalars: Implications for energy production // Phys. Rev. D – 2022. – Vol. 106, No. 03

[7] Akhmedov E., Pospelov M. BBN catalysis by doubly charged particles // JCAP. — 2024. — Vol. 08. — P. 028. — arXiv: 2405.06019 [hep-ph].

# Bound states and their description

## Estimations and applications

- In [7] was used  $E_{X-N}$  instead of  $Q_N$
- The simplest estimation of  $\Delta Q_N$

$$\Delta m \rightarrow \Delta m + 0.711 \frac{Z(Z-1)}{A^{1/3}}$$

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- Reaction:  $XN_1 \rightarrow XN_2 + N_3$
- Energy:  $(Z_1 m_p + (A_1 - Z_1) m_n - \Delta m_1^{shell}) - (Z_2 m_p + (A_2 - Z_2) m_n - \Delta m_2^{shell}) - (Z_3 m_p + (A_3 - Z_3) m_n)$

# Bound states and their description

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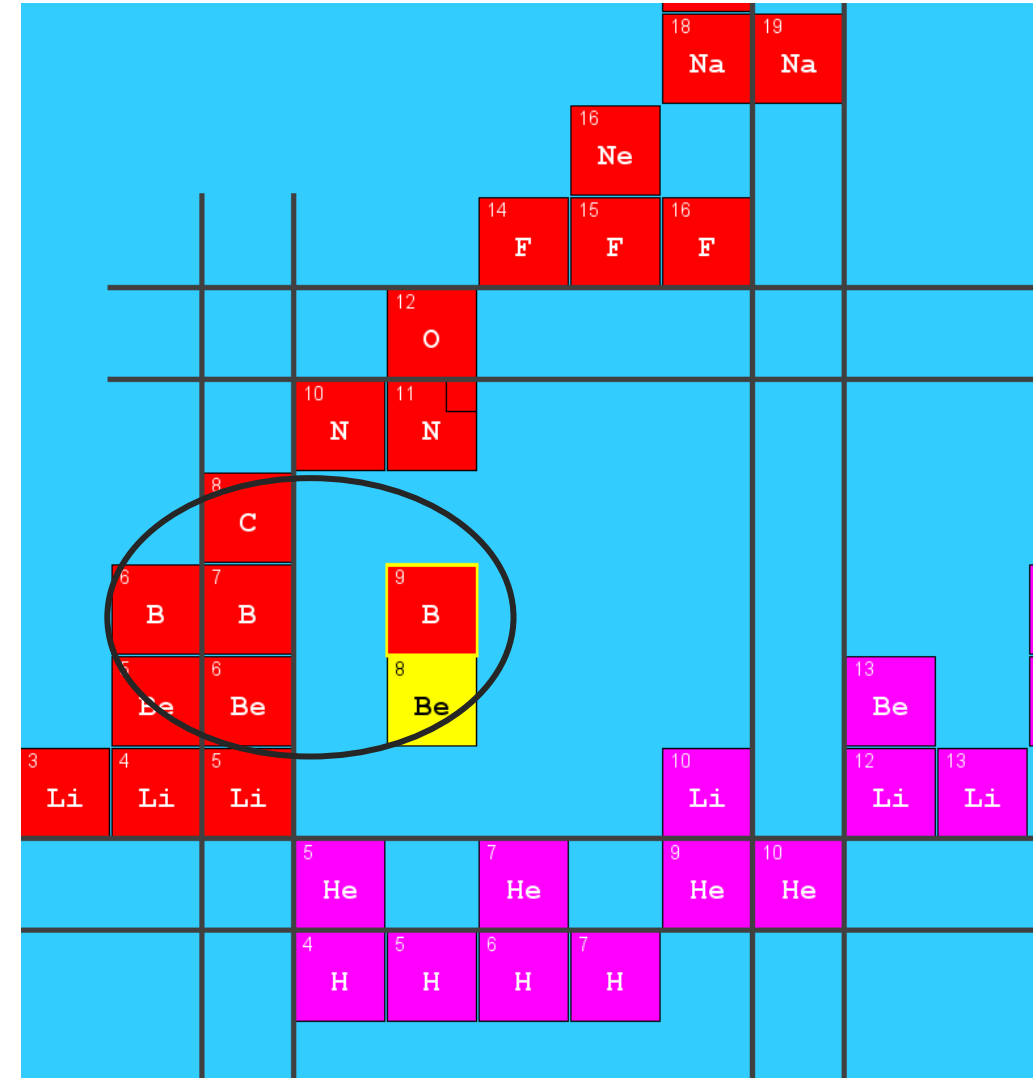
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- Prediction:

- $\left\{ \begin{array}{l} {}^6\text{Be}, {}^8\text{Be} \\ {}^6\text{B}, {}^7\text{B}, {}^9\text{B} \\ {}^8\text{C} \end{array} \right\}$  are stabilizing
- n-emission is not prevented

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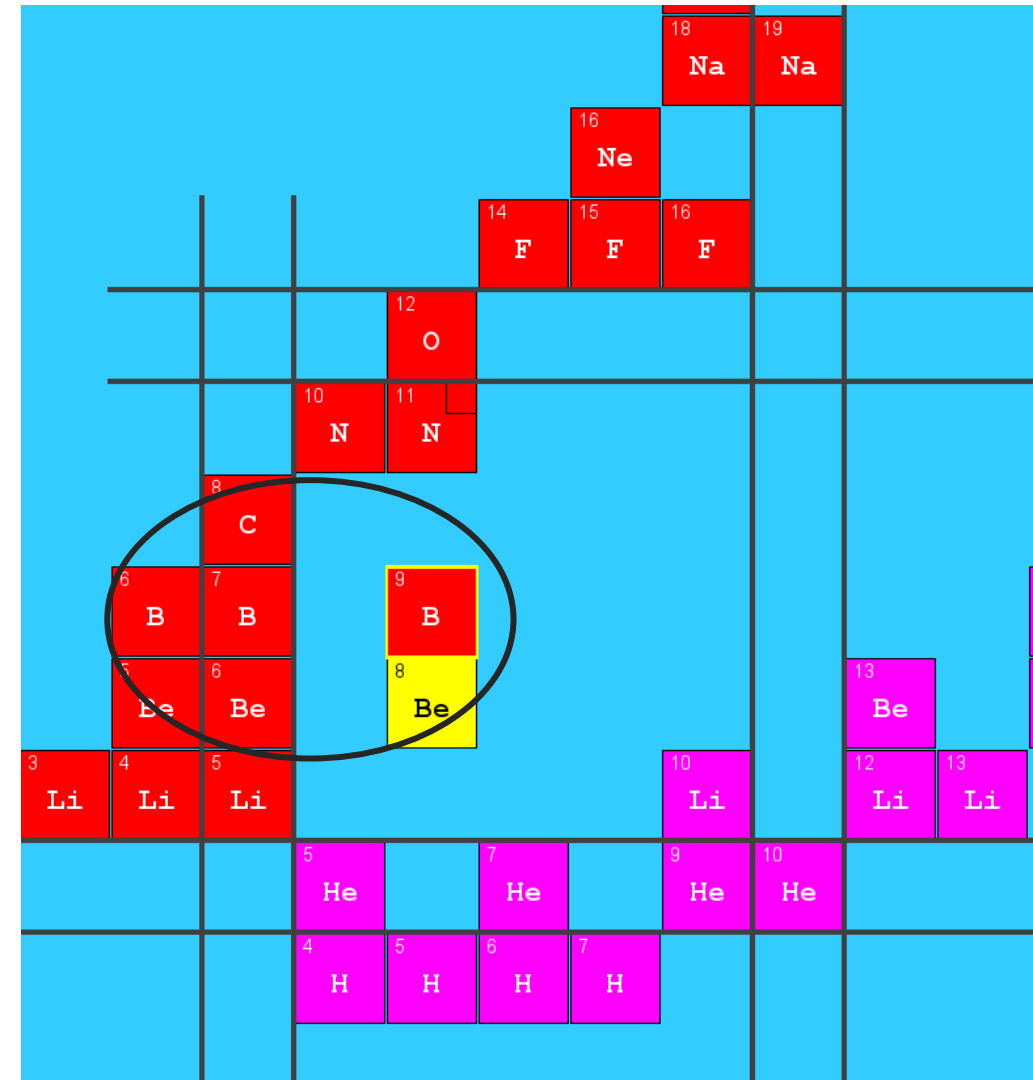
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- n-emission does not prevented

- An error should be rather large



# Bound states and their description

Estimations and applications

How to describe XN more accurate?

# Bound states and their description

## Estimations and applications

How to describe XN more accurate?

- Cluster approach:

- Consider nucleus as a bound state of n, p,  $\alpha$  clusters
- Use **experimental**  $V_{\alpha-\alpha}$ ,  $V_{\alpha-N}$ , and  $V_{N-N}$  potentials to improve predictions for Li, Be, C isotopes

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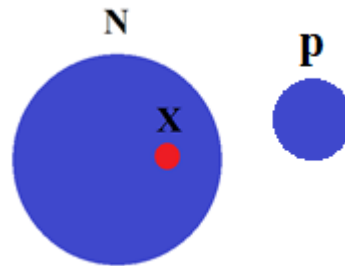
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+ Analogy with ordinary / bosonic atoms [8,9]

- Use Hartree-Fock method to describe nonstandard states like  $Xp_2$

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➤ Expected results:

- the energy of  $p$ -,  $\alpha$ - separation
- wave functions of bound states

# Bound states and their description

## Estimations and applications

How to describe XN more accurate?

- Cluster approach

- Expected results:

- the energy of p-,  $\alpha$ - separation
- wave functions of bound states

- Potential problems:

- Is not applicable on high charges ( $n > 1$ ) because of non-point helium
- Bad predictions for spherical nuclei (???)

# Bound states and their description

## Estimations and applications

How to describe XN more accurate?

- *Ab-initio* approach [10,11]
  - Simulate nucleus by solving a many-body quantum problem
  - Use mesonic potential, modified by Coulomb term arising from the interaction with  $X^{-2n}$

[10] Ab initio study of  $Z(N) = 6$  magicity\* / H. Li [и др.] // Chinese Physics C. — 2024. — Т. 48, № 12. — С. 124103. — ISSN 2058-6132.

[11] Ab Initio Study of the Beryllium Isotopes Be7 to Be12 / S. Shen [и др.] // Physical Review Letters. — 2025. — Т. 134, № 16. — ISSN 1079-7114.

# Nuclear reactions with dark ions

$$(1) X + N \rightarrow XN + \gamma$$

$$(2) XN_1 + N_2 \rightarrow XN_3 + N_4/\gamma$$

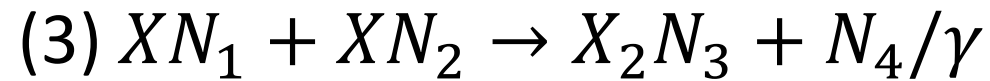
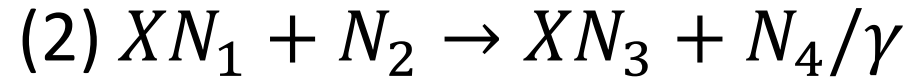
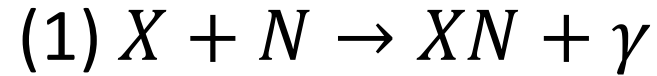
$$(3) XN_1 + XN_2 \rightarrow X_2N_3 + N_4/\gamma$$

(1) The first stage of dark atom recombination

(2) Nuclear interaction of ordinary matter with dark ions

(3) Dark chemistry: interaction of two dark ions

# Nuclear reactions with dark ions



(1) The first stage of dark atom recombination

(2) Nuclear interaction of ordinary matter with dark ions

(3) Dark chemistry: interaction of two dark ions

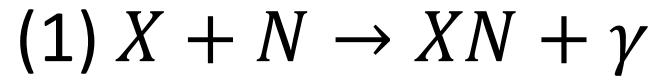
What does we need?

➤ List (network) of reactions

➤ Cross sections/rates

# Nuclear reactions with dark ions

## Using analogies



- Bohr states (point-like nucleus!):

Recombination of hydrogen-like atom [13]

The exact analogy can be used for capturing of:

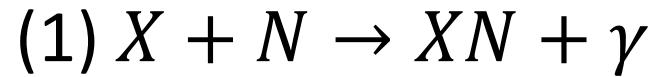
- $n=1$ :  $p, d, t, {}^3\text{He}$
- $n=2$ :  $p, d, t$
- $n=3,4$ :  $p, d$
- $n \geq 5$ :  $p$

| $n$ | $A$ |      |      |      |
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$$\langle \sigma v \rangle_{\text{rec}} = \frac{32}{3} \sqrt{\frac{2\pi E_{X-N}}{3m_N}} (Z_X Z_N \alpha)^3 r_B^2 \cdot \left( \frac{E_{X-N}}{T} \right)^{\frac{1}{2}} \left( \ln \left( \frac{E_{X-N}}{T} \right) + \gamma \right)$$

# Nuclear reactions with dark ions

## Using analogies



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- Thomson states (non-point-like nucleus)

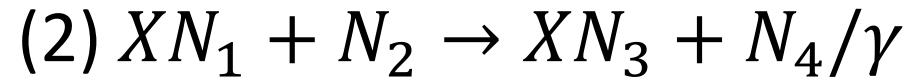
The picture changes completely.

it is impossible to use the hydrogen-like wave function, and therefore the cross section **must change**.

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# Nuclear reactions with dark ions

## Using analogies



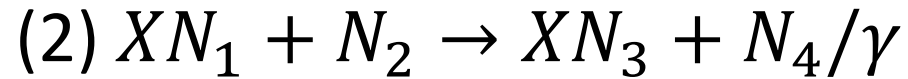
- If the similar ordinary reaction is exist [4]

$$\langle \sigma v \rangle^{ij}(T) = \frac{2}{T} \sqrt{\frac{2}{\pi T} \frac{m_i + m_j}{m_i m_j}} \int_0^{\infty} \sigma^{ij}(E) E e^{-\frac{E}{T}} dE$$

$$\sigma^{ij}(E) = \frac{S^{ij}(E)}{E} e^{-2\pi\eta_{ij}},$$
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# Nuclear reactions with dark ions

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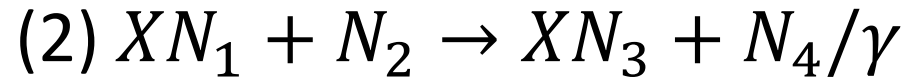
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In [7] the accurate calculations for  $X^-$  [14] was rescaled.

Is it any difference and why?

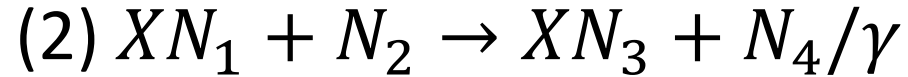
[4] Gorbunov, D. S.; Rubakov V. A. INTRODUCTION TO THE THEORY OF THE EARLY UNIVERSE Hot Big Bang, Theory World Scientific Publishing Co. Pte. Ltd.: Singapore, 2011;

[7] Akhmedov E., Pospelov M. BBN catalysis by doubly charged particles // JCAP. — 2024. — Vol. 08. — P. 028. — arXiv: 2405.06019 [hep-ph].

[14] Kohri K., Takayama F. Big bang nucleosynthesis with long-lived charged massive particles // Physical Review D. — 2007. — Vol. 76, no. 6. — ISSN 1550-2368.

# Nuclear reactions with dark ions

## Using analogies



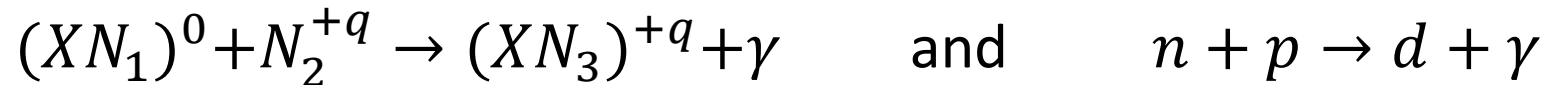
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- If not:

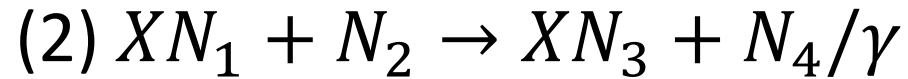
- rough analogies [15]:



$$\langle \sigma v \rangle = \frac{f \pi \alpha}{m_p^2} \frac{3}{\sqrt{2}} \left( \frac{Z}{A} \right)^2 \frac{T}{\sqrt{A m_p E}},$$

# Nuclear reactions with dark ions

## Using analogies



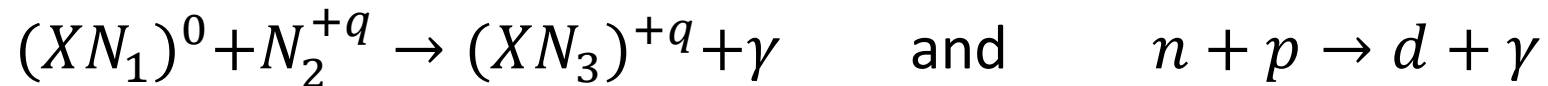
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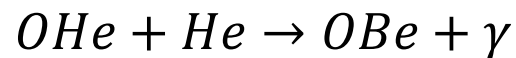
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# Nuclear reactions with dark ions

## Accurate calculation

- Accurate calculation of reaction rates [6,14] requires to know wave functions of particles
- To find it
  - In [6] the variation method was used
  - In [14] the quantum three-body problem was solved

# Primordial concentrations

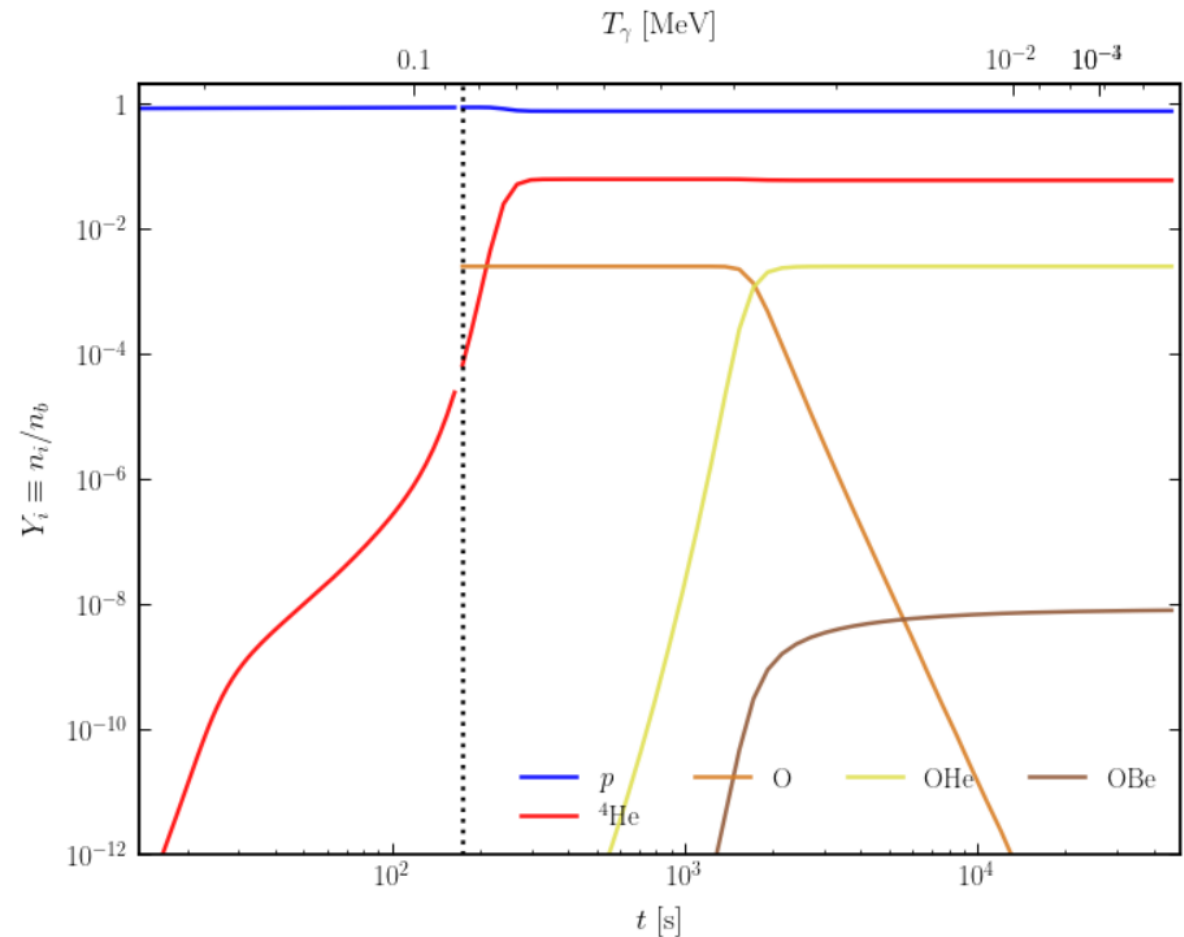
## Anomalous isotopes

- 1)  $O^{--} + {}^4\text{He} \rightarrow OHe + \gamma;$
- 2)  $OHe + {}^4\text{He} \rightarrow OBe + \gamma.$

$$\langle\sigma v\rangle_{\text{rec}} = \frac{32}{3} \sqrt{\frac{2\pi E_{X-N}}{3m_N}} (Z_X Z_N \alpha)^3 r_B^2 \cdot \left(\frac{E_{X_N}}{T}\right)^{\frac{1}{2}} \left(\ln\left(\frac{E_{X_N}}{T}\right) + \gamma\right),$$

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$$\frac{n_O}{n_b} \approx 8.7 \cdot 10^{-19}, \quad \frac{n_{OHe}}{n_b} \approx 2.5 \cdot 10^{-3}, \quad \frac{n_{OBe}}{n_b} \approx 8.1 \cdot 10^{-9}.$$



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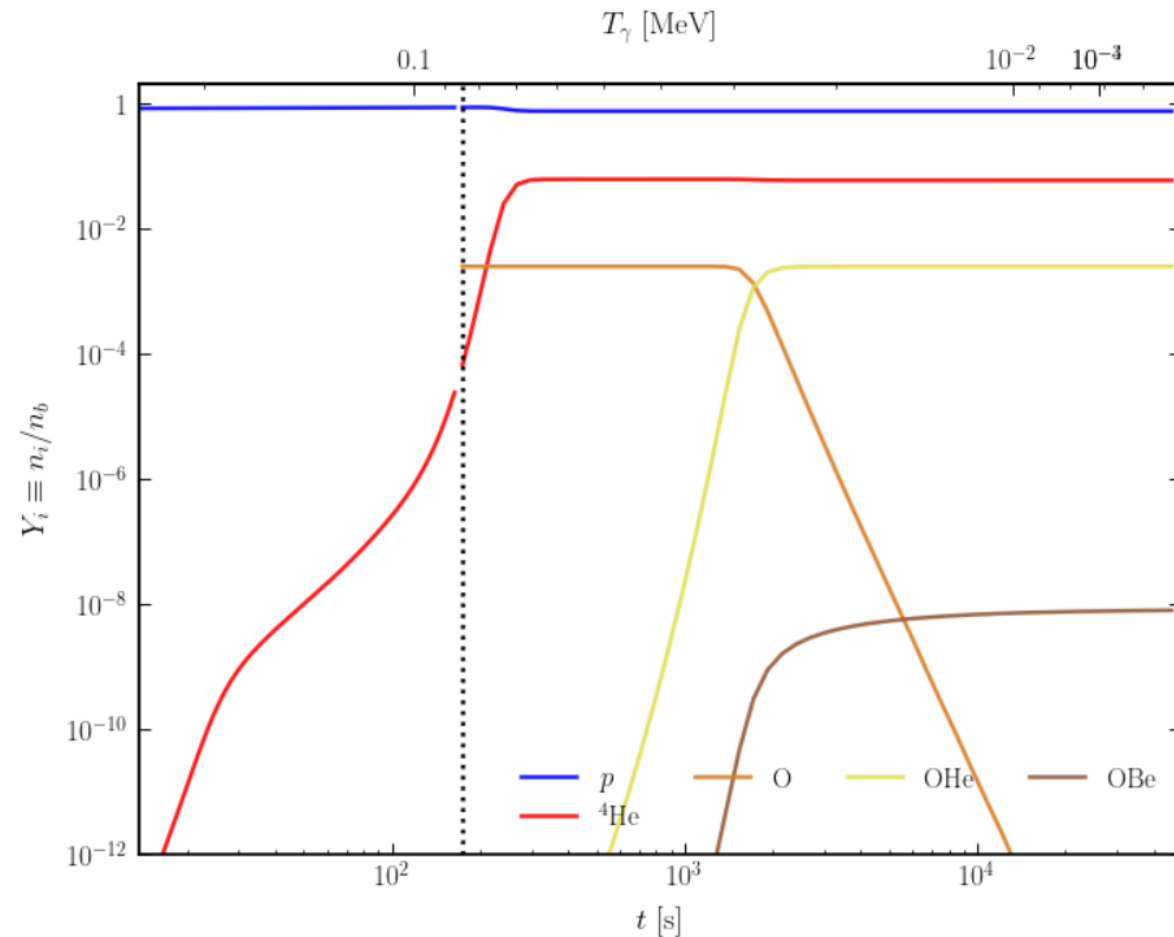
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~~$$\langle\sigma v\rangle_{\text{rec}} = \frac{32}{3} \sqrt{\frac{2\pi E_{X-N}}{3m_N}} (Z_X Z_N \alpha)^3 r_B^2 \cdot \left(\frac{E_{X_N}}{T}\right)^{\frac{1}{2}} \left(\ln\left(\frac{E_{X_N}}{T}\right) + \gamma\right),$$

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$$\frac{n_O}{n_b} \approx 8.7 \cdot 10^{-19}, \quad \frac{n_{OHe}}{n_b} \approx 2.5 \cdot 10^{-3}, \quad \frac{n_{OBe}}{n_b} \approx 8.1 \cdot 10^{-9}.$$

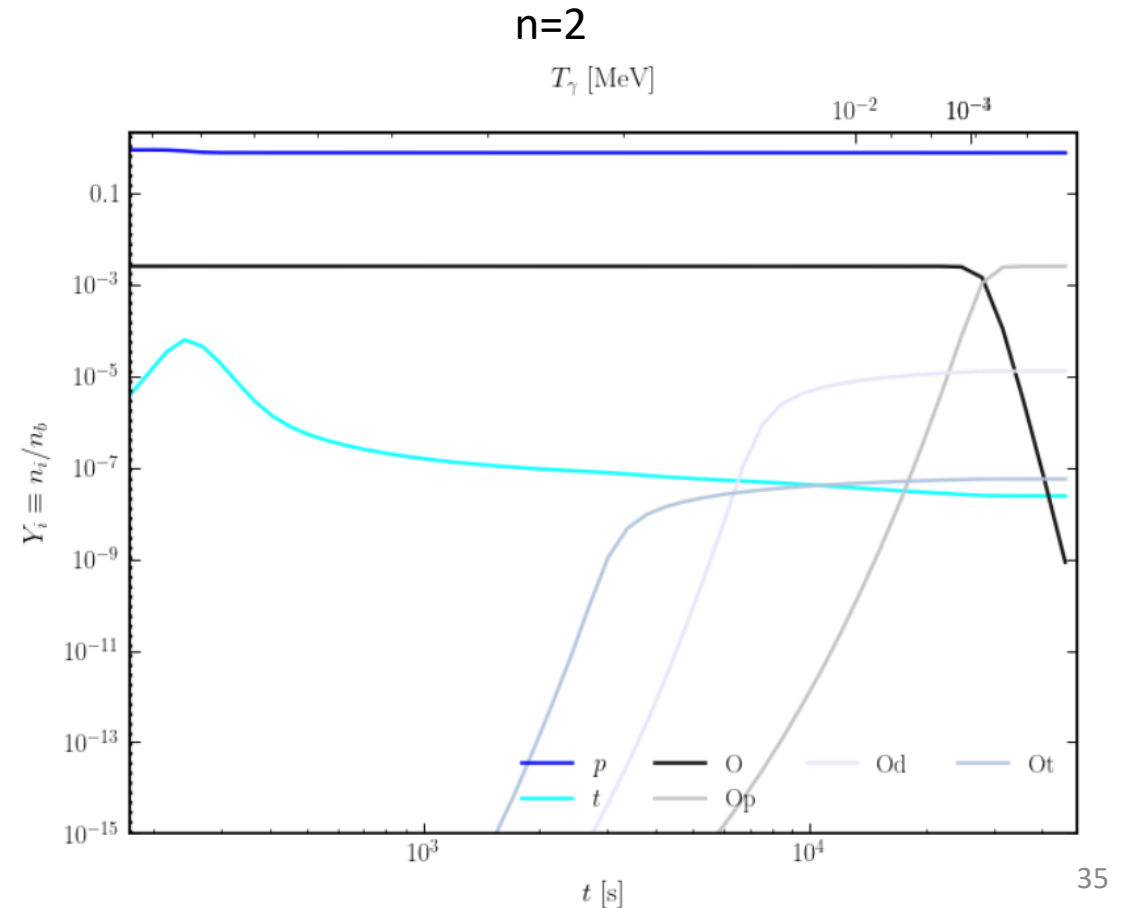
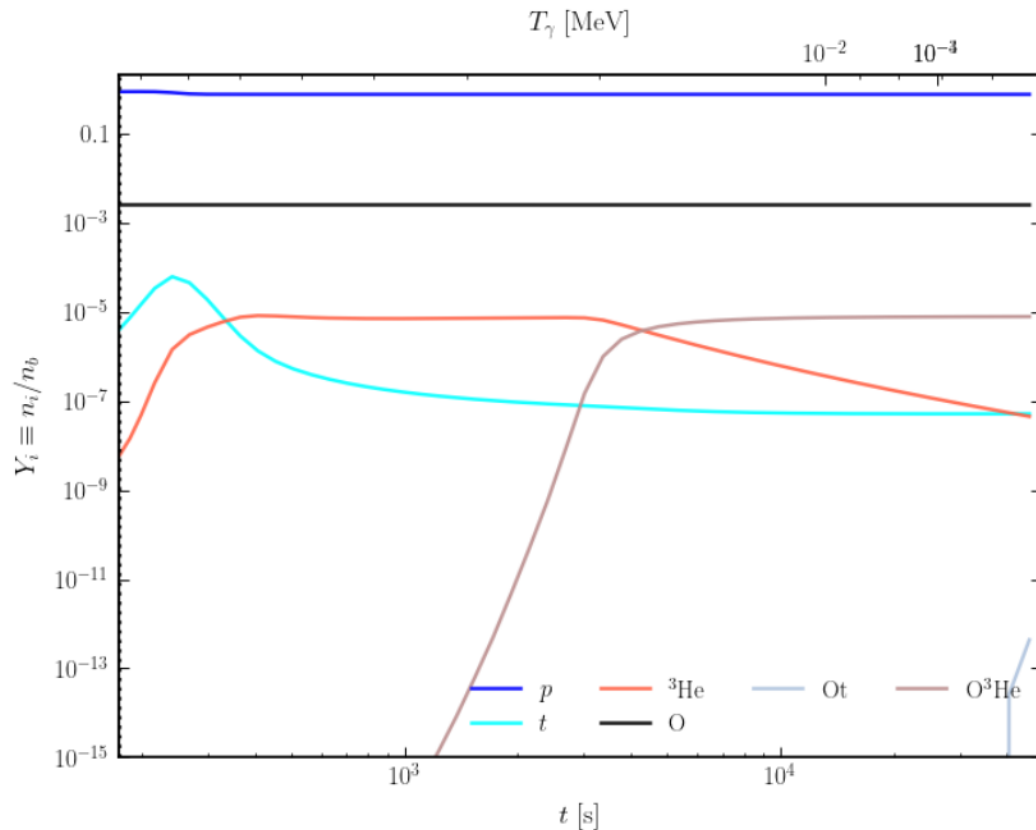


# Primordial concentrations

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Exact rates are known only for capturing of:

- n=1:  $p, d, t, {}^3\text{He}$
- n=2:  $p, d, t$



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## Anomalous isotopes

$$T_{\text{rec}} = E_{X-N} \left( \ln \left( \frac{g_X g_N}{g_{XN}} \left( \frac{m_N T_{\text{now}}^2}{2\pi E_{X-N}} \right)^{\frac{3}{2}} \frac{1}{n_N^{\text{now}}} \right) \right)^{-1}$$

$$E_{X-N}^{\text{Bohr}} = 2n^2 Z^2 \alpha^2 m_N = \frac{1}{2m_N r_D^2}$$

$$E_{W-N}^{\text{Thompson}} = \frac{3}{2} \frac{Z_X Z_N \alpha}{r_N} \left( 1 - \sqrt{\frac{r_B}{r_N}} \right)$$

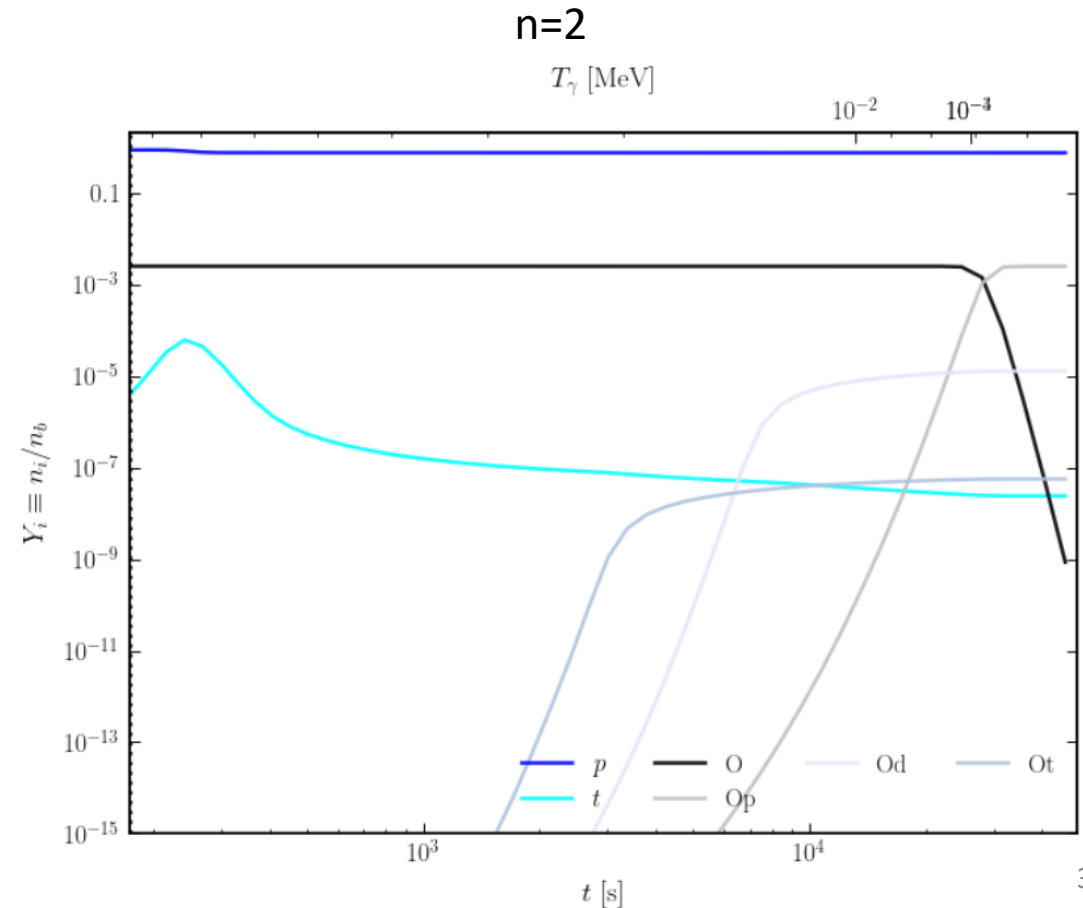
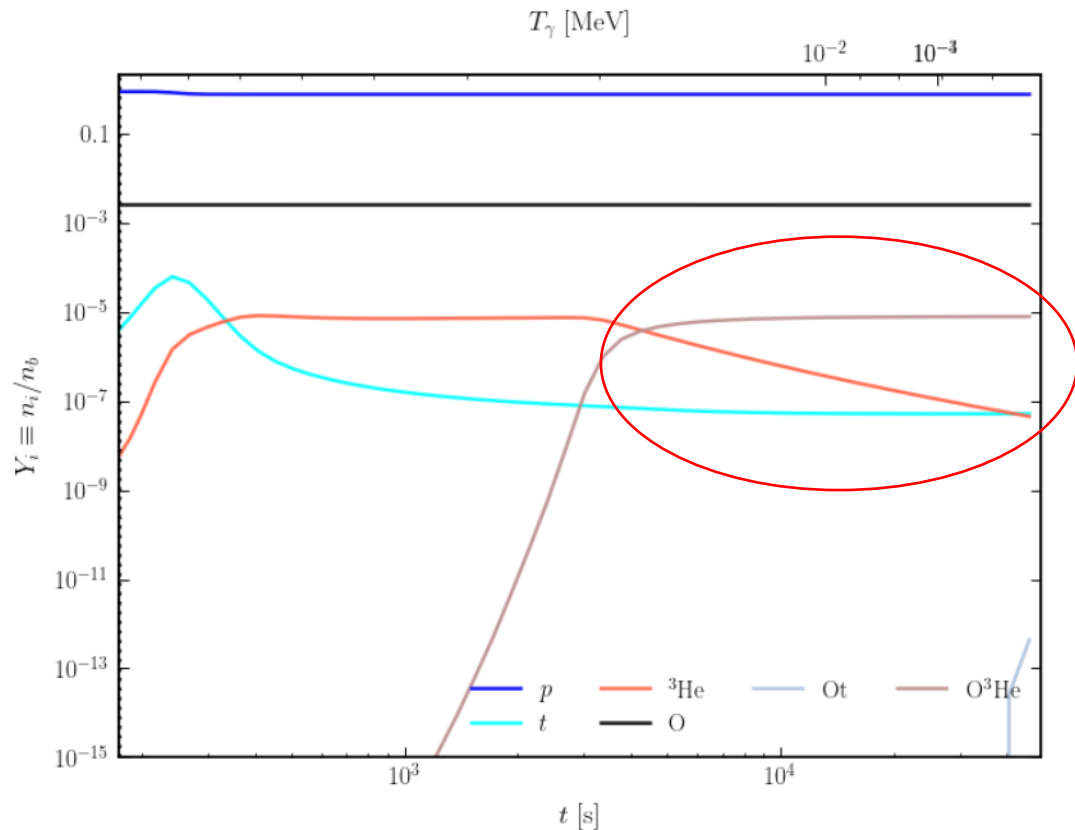
| $n$ | $T_{\text{rec}}, \text{ кэВ}$ |                |                 |                 |
|-----|-------------------------------|----------------|-----------------|-----------------|
|     | $p$                           | $D$            | ${}^3\text{He}$ | ${}^4\text{He}$ |
| 1   | 3 (B)                         | 4 (B)          | 28 (B)          | 37 (B)          |
| 2   | 13 (B)                        | 19 (B)         | $\sim 42$ (T)   | 85 (T)          |
| 3   | 29 (B)                        | 44 (B)         | $\sim 116$ (T)  | 180 (T)         |
| 4   | 54 (B)                        | 79 (B)         | $\sim 198$ (T)  | 285 (T)         |
| 5   | 86 (B)                        | $\sim 126$ (B) | $\sim 286$ (T)  | 395 (T)         |

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- Gamma-ray spectrum analysis?

# Conclusions

- To predict the primordial concentrations of dark ions, it is necessary to describe both **the reactions of nuclear shell formation** and **the internal structure**:
  - kinetic equations require reaction rates, which for the most part can be found by rescaling
  - Both binding energies  $E_{X-N}$  and  $Q_N$  are needed to create an accurate network of reactions
  - The nuclear shell can be described using the methods of modern nuclear physics.
- The overproduction of anomalous isotopes and primordial metals may constrain the dark atom model, but the standard model of nucleosynthesis should be revised

28th International workshop  
“What comes beyond the standard models”

# Stable multicharged particles in the early Universe

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